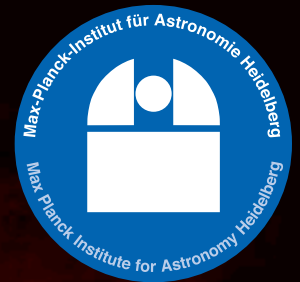


# Extracting Faint Eclipse Signals: Spitzer Observations of TrES-1

**Patricio E. Cubillos**

Joe Harrington  
N. Madhusudhan (Yale)  
UCF exoplanet group

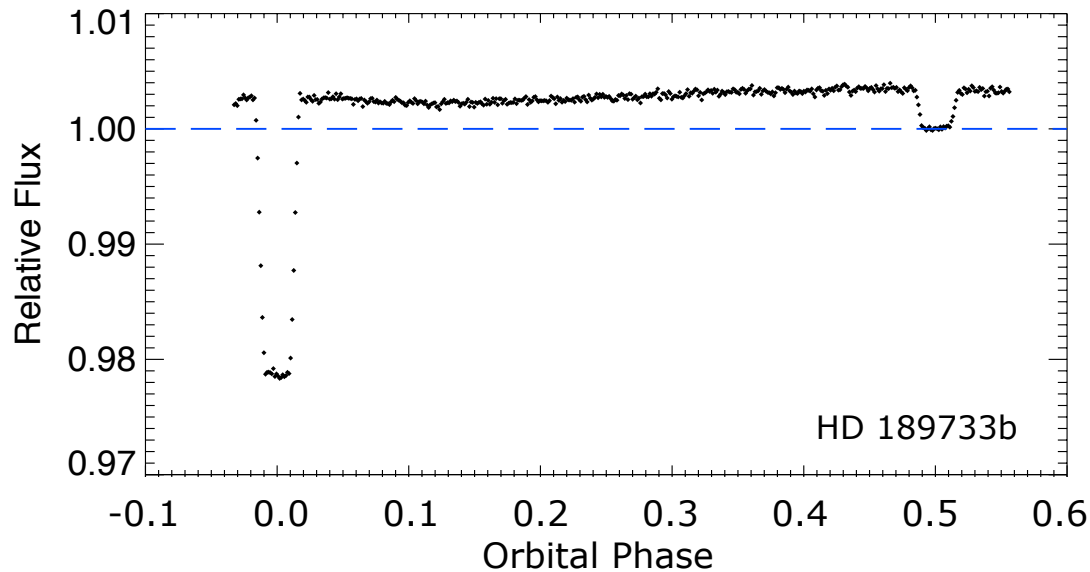
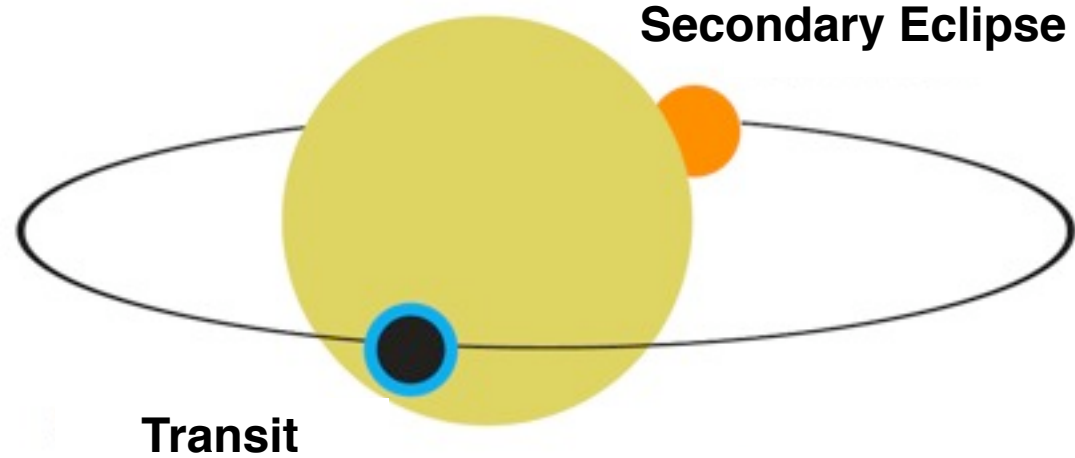


EChO-ESTEC Workshop  
Jul 2<sup>nd</sup>, 2013

Image credit: CfA, TrES-1 press release (2005)

## Transiting Exoplanets Observations:

- IR observations measure the planet's thermal emission.



Seager & Deming (2010)

$$\text{Eclipse depth} = \frac{\Delta F}{F} \approx \frac{F_p}{F_s}$$

Knutson et al. (2009)

## The TrES-1 System:

- First transit-discovered exoplanet  
[Alonso et al. \(2004\)](#)
- First occultation detection  
[Charbonneau et al. \(2005\)](#)
- 3 day, circular orbit,  $T_{\text{eq}} \sim 1150 \text{ K}$

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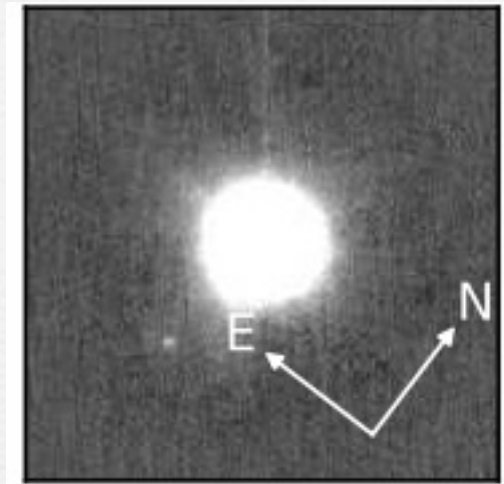
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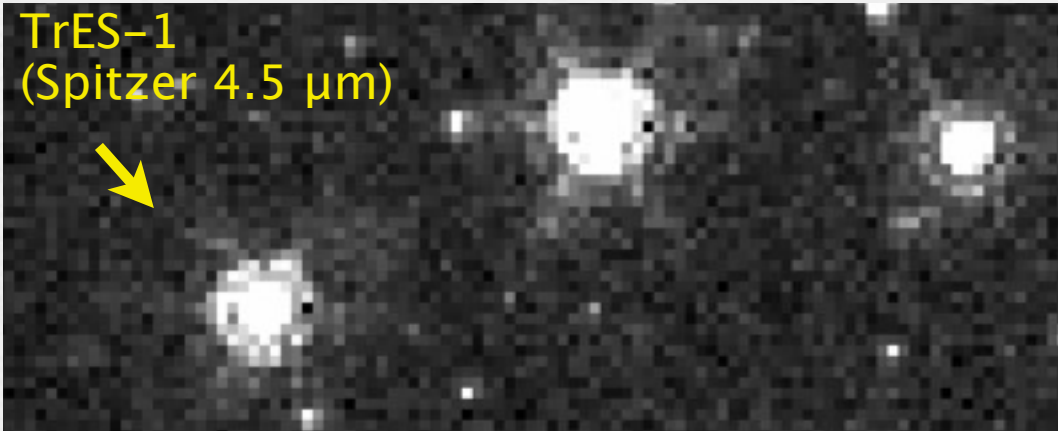
Adams et al. (2013)

$\Delta\text{mag} = 7.7$  ( $2 \mu\text{m}$ )

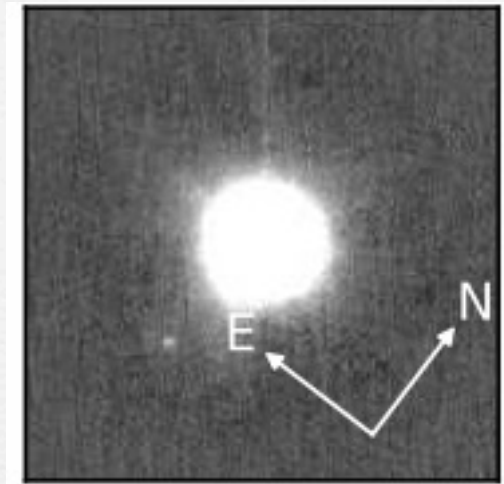
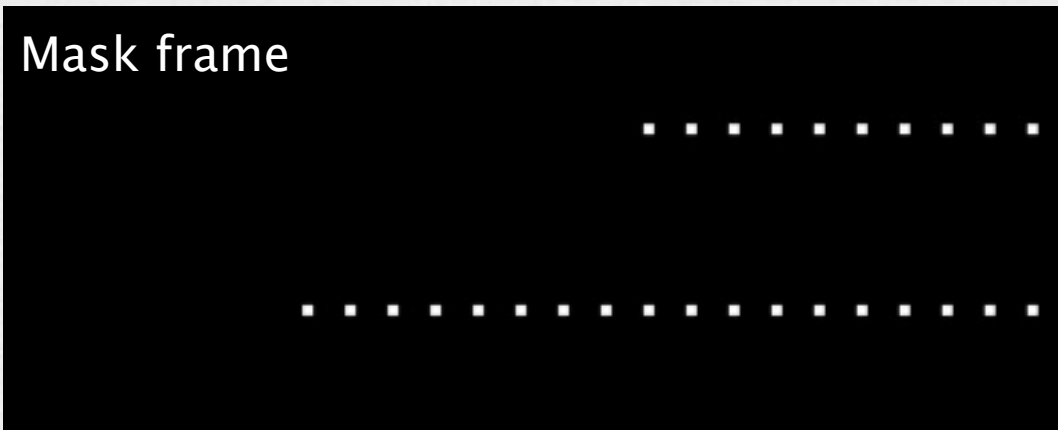
Separation =  $2.3''$

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Mask frame



[Adams et al. \(2013\)](#)

$\Delta\text{mag} = 7.7$  (2  $\mu\text{m}$ )

Separation = 2.3''

Spitzer occultations at:

- 3.6, 4.5, 5.8, 8.0, and 16  $\mu\text{m}$ .

# **POET: Photometry for Orbits, Eclipses, and Transits**

Cubillos et al. (2013a), Stevenson et al. (2012), Blecic et al. (2013),  
Nymeyer et al. (2011), Campo et al. (2011)

# POET: Photometry for Orbits, Eclipses, and Transits

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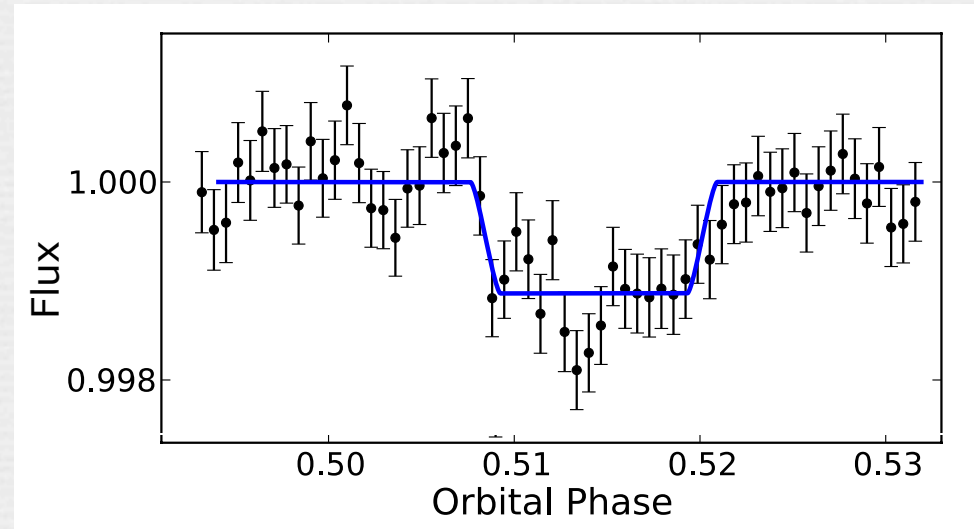
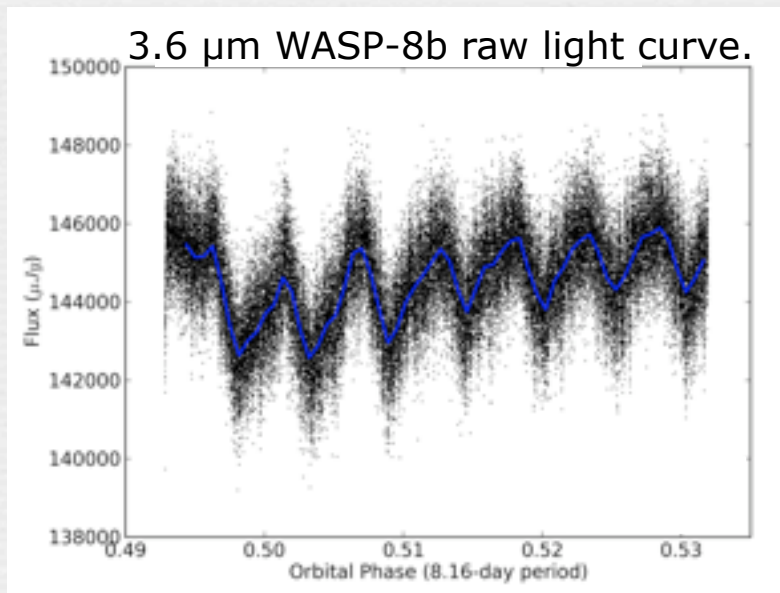
- Centering (position determination):
  - Gaussian fitting
  - PSF fitting
  - Least asymmetry
  - Center of light
- Aperture or optimal photometry.

# POET: Photometry for Orbits, Eclipses, and Transits

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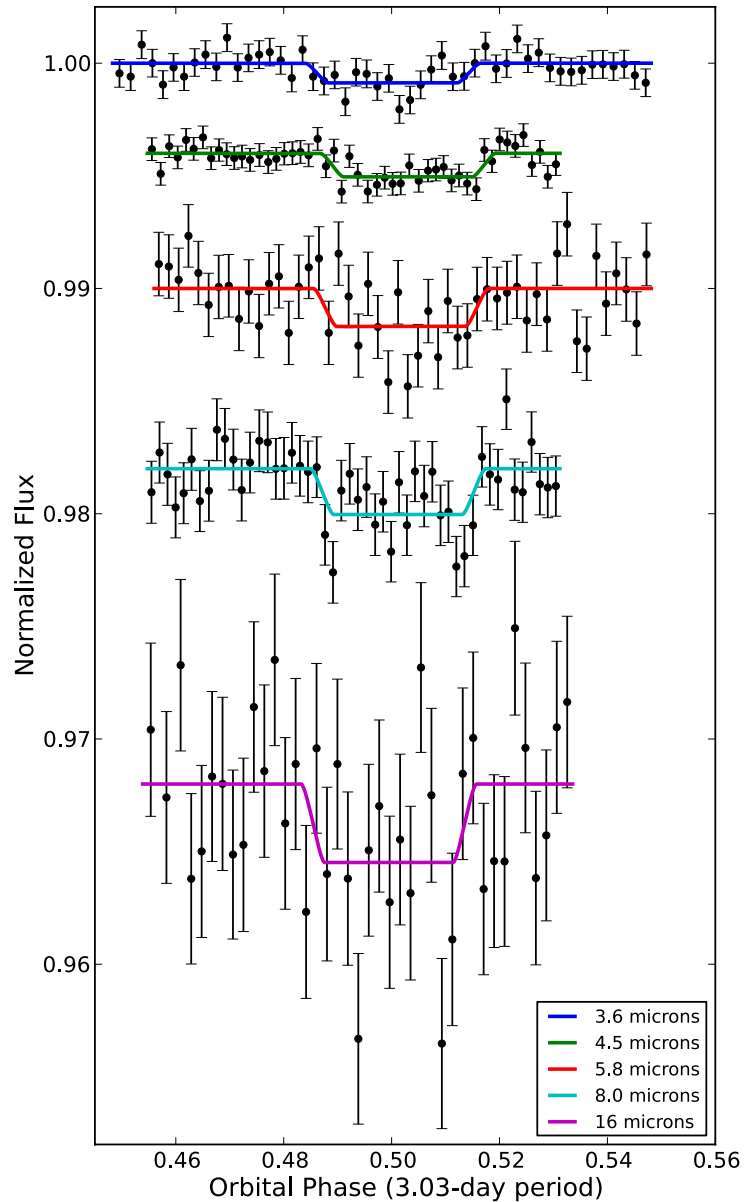
- Centering (position determination):
  - Gaussian fitting
  - PSF fitting
  - Least asymmetry
  - Center of light
- Aperture or optimal photometry.
- Light-curve modeling.
- MCMC, now with Differential Evolution

Braak (2006), Cubillos et al. (2013b, in prep)



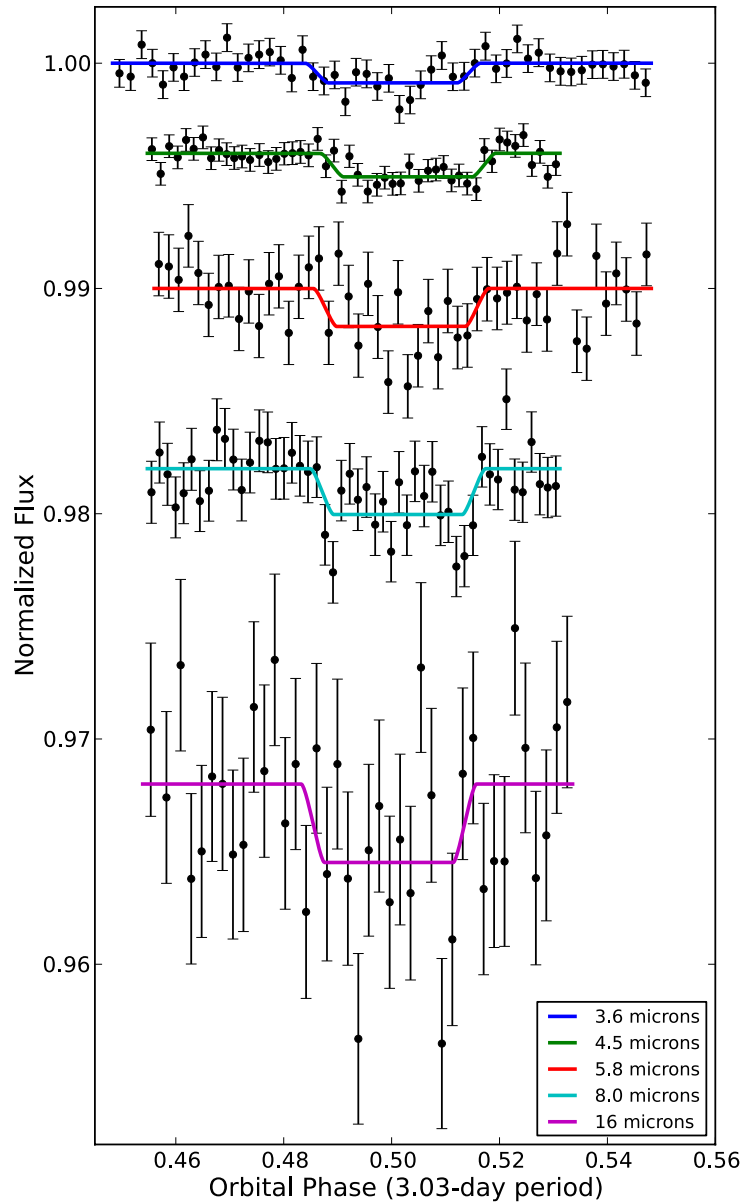


# Light Curve Results



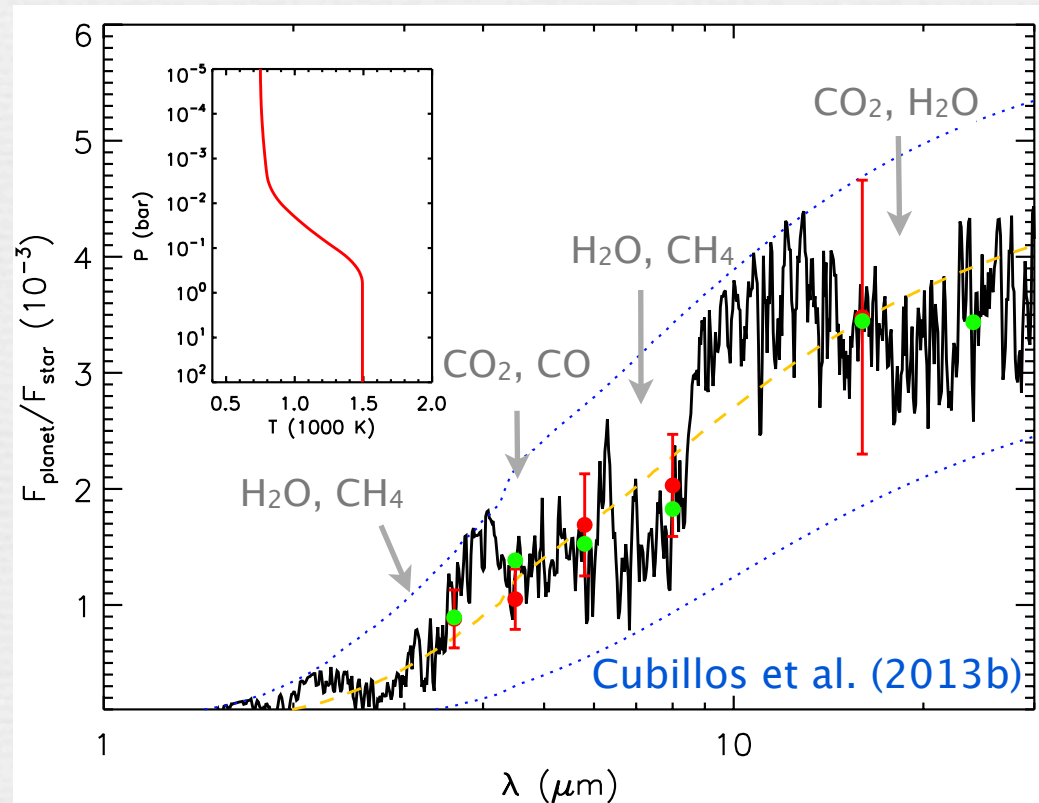
Waveband (μm)	Depth (%)	Brightness temp. (K)
3.6	0.088 ± 0.023	1253
4.5	0.105 ± 0.024	1142
5.8	0.169 ± 0.043	1250
8.0	0.204 ± 0.043	1128
16	0.35 ± 0.12	1423

# Light Curve Results

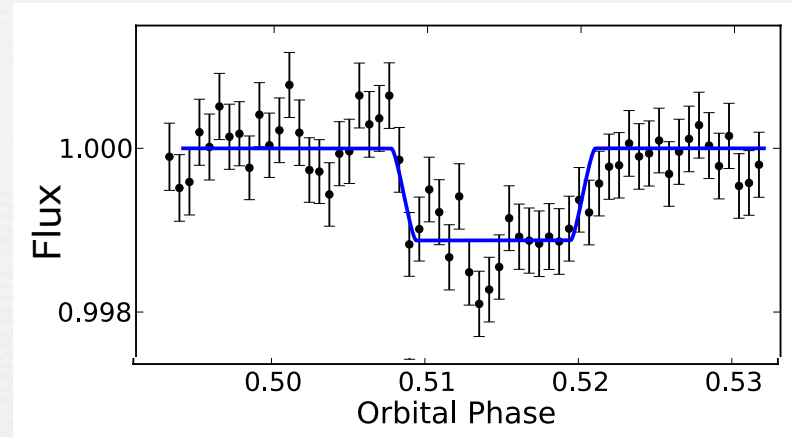


Waveband ( $\mu\text{m}$ )	Depth (%)	Brightness temp. (K)
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(Madhusudhan & Seager 2009, 2010)



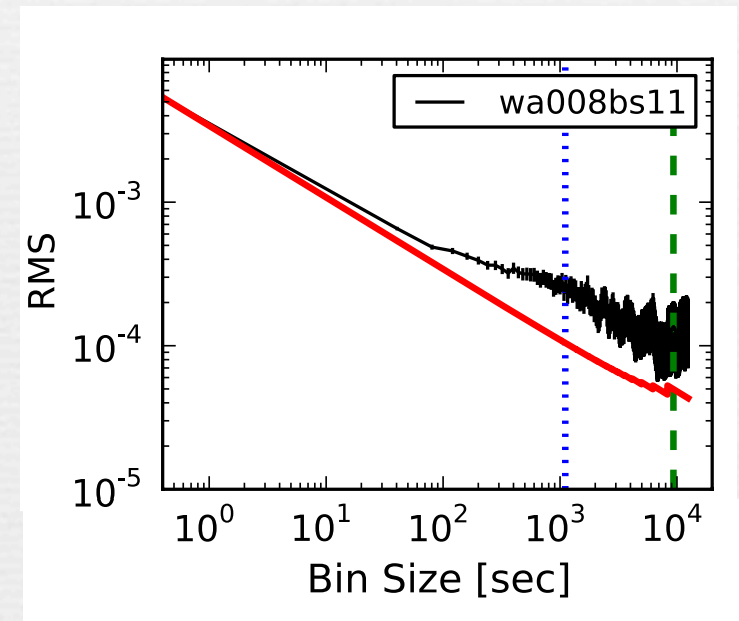
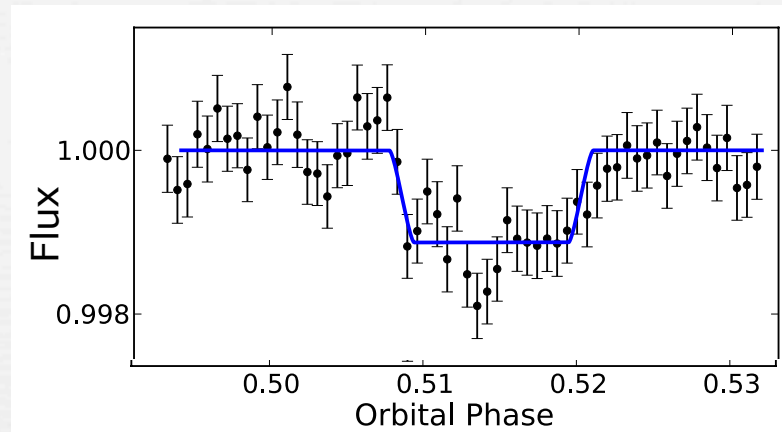
## Correlated noise estimators:



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- RMS vs Bin size plot: [Winn et al. \(2008\)](#)

$$\sigma_N = \frac{\sigma_1}{\sqrt{N}} \sqrt{\frac{M}{M-1}}$$



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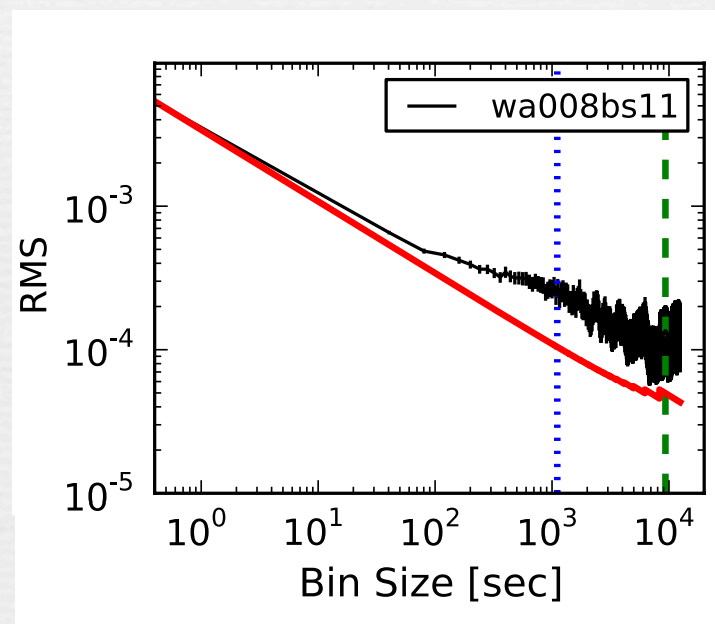
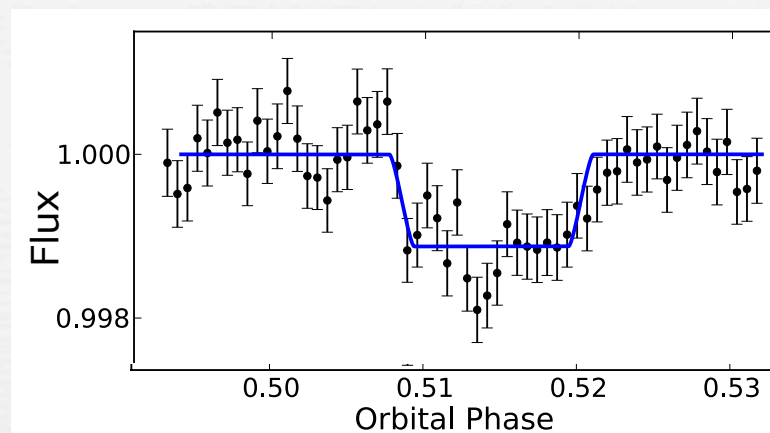
- Prayer beads: [Bouchy et al. \(2005\)](#)

Fit-residuals are sequentially shifted

Calculate new best fit:  $p_i$

Shift again and refit

parameter uncertainty =  $\text{std}(\{p_i\})$



## RMS vs bin size:

The simplest test:

- Create random normal-distributions
- Plot RMS vs bin size

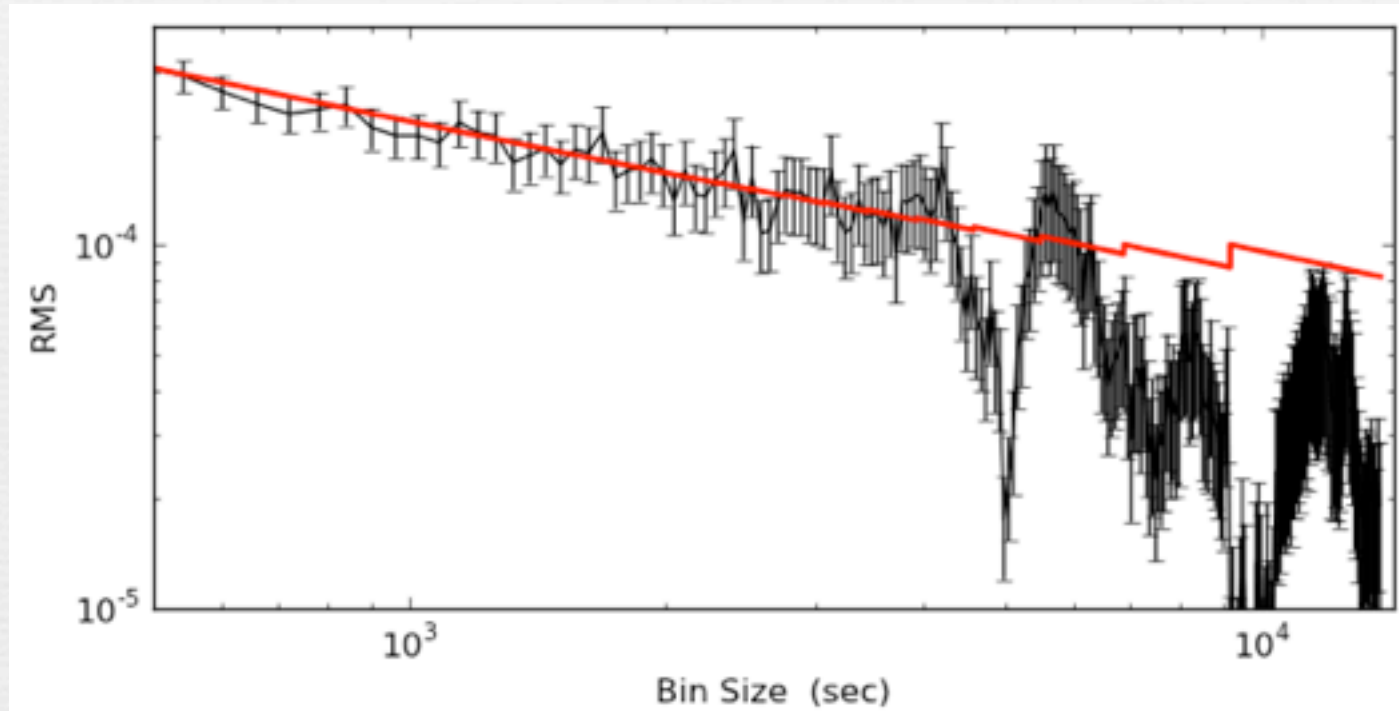
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The simplest test:

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- Often (~35%) the curves show large deviations

## Prayer beads:

- Literature search:
  - No fully statistical description.
  - Some citations: [Knutson et al. \(2009\)](#), [Bean et al. \(2008\)](#),  
[Gillon et al. \(2007\)](#), [Desert et al. \(2011\)](#), ...  
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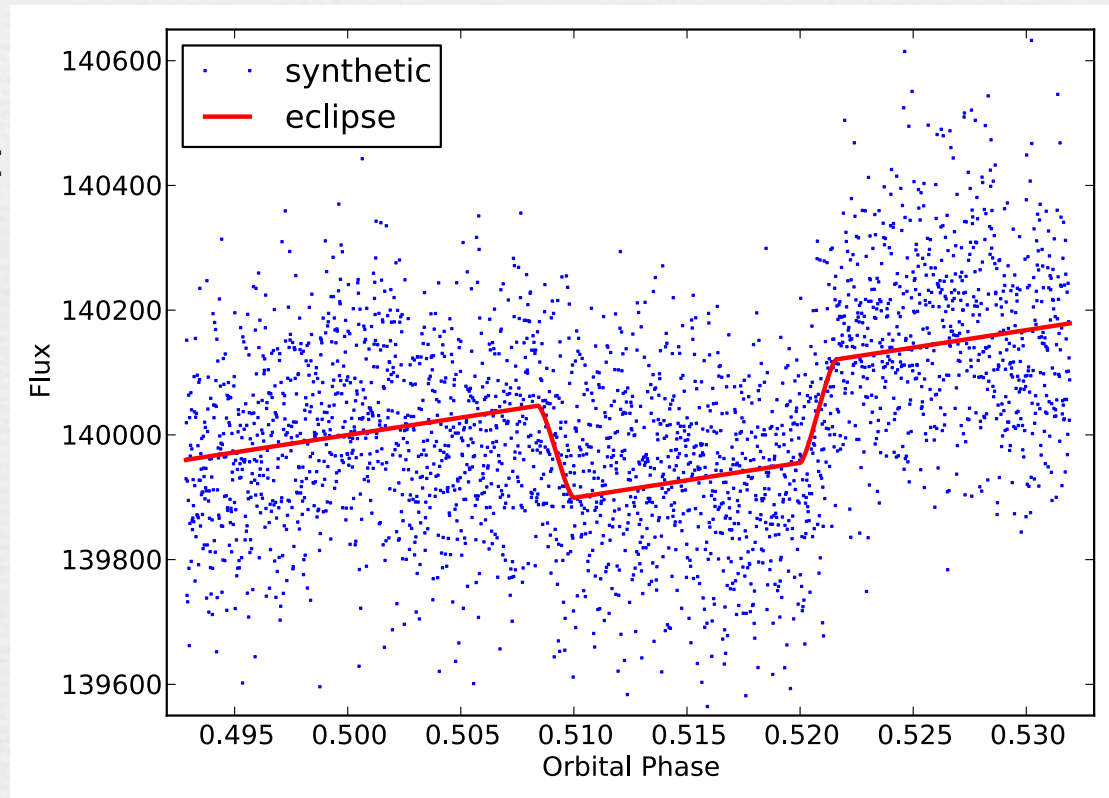


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## Test:

- Create synthetic light curve:  
eclipse + white noise

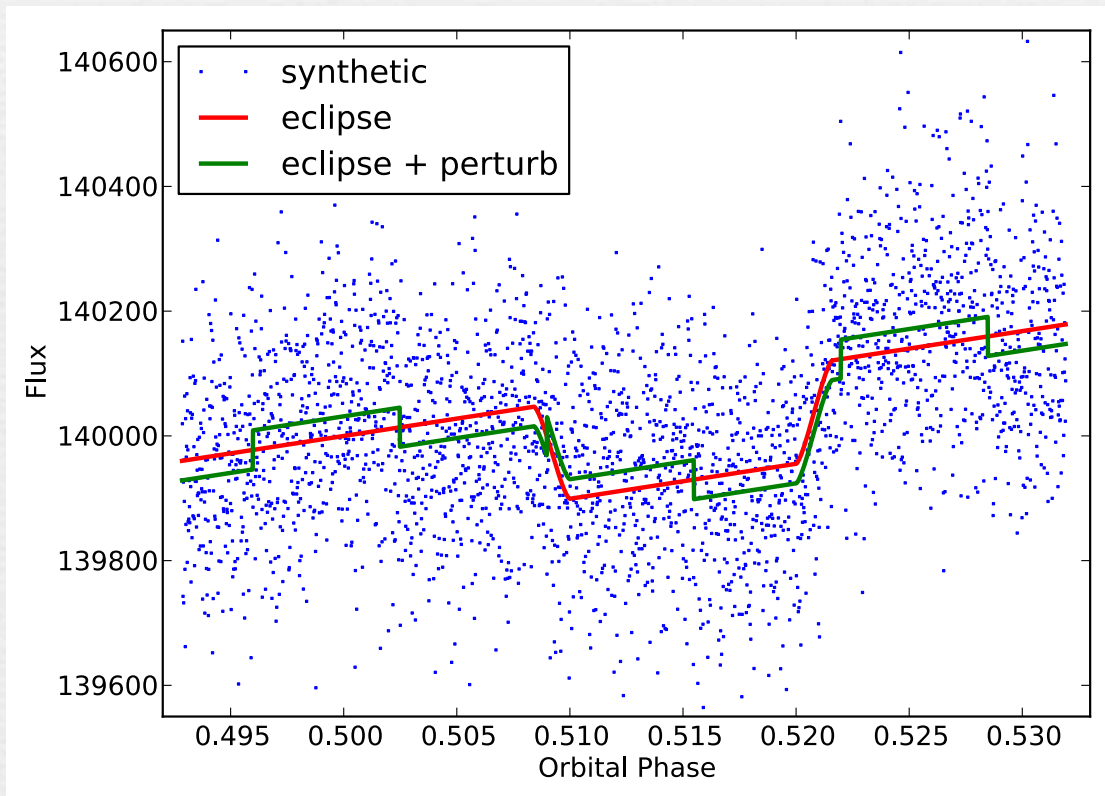


## Prayer beads:

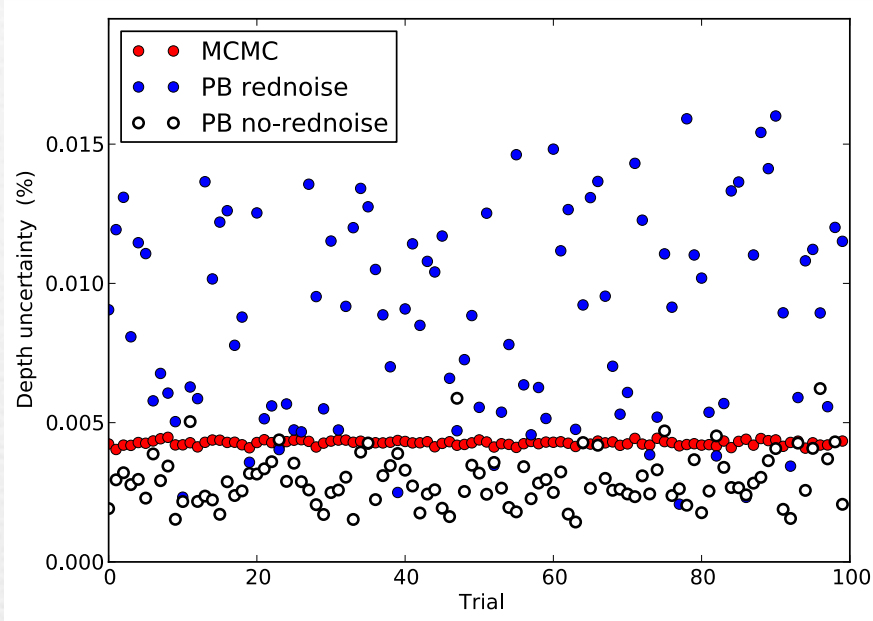
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## Test:

- Create synthetic light curve:
  - eclipse + white noise
  - + correlated noise

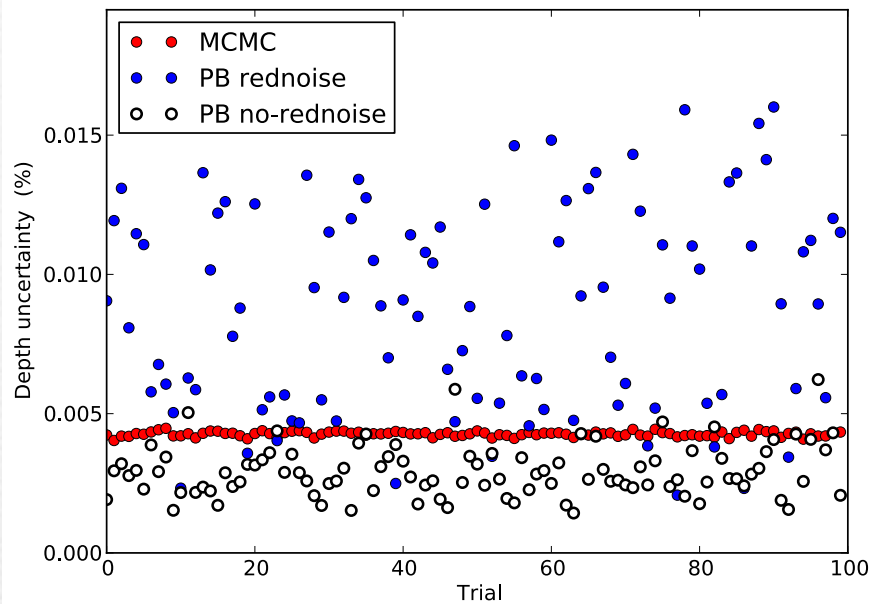


## Prayer beads:

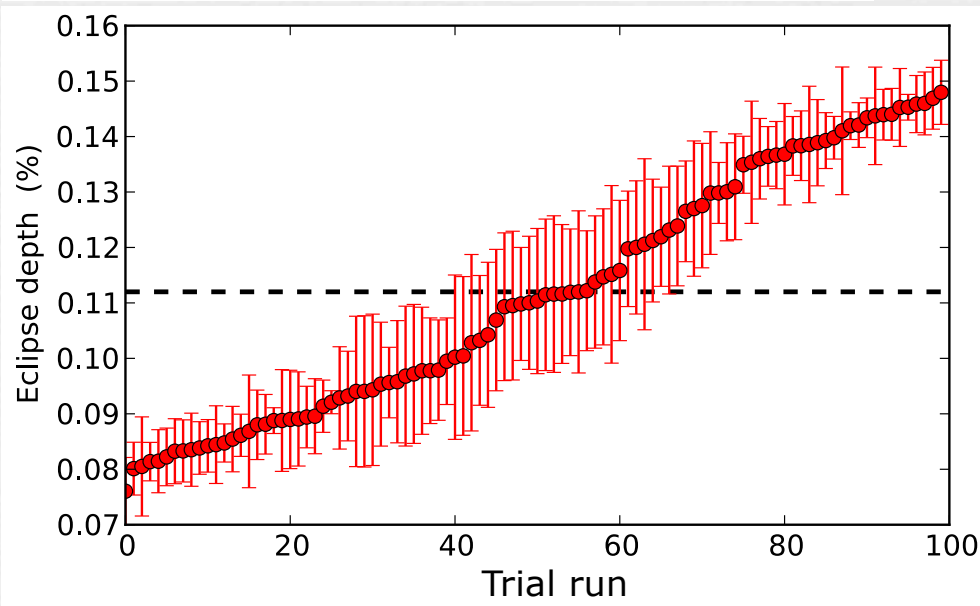


- PB underestimates errors if no correlated noise

## Prayer beads:

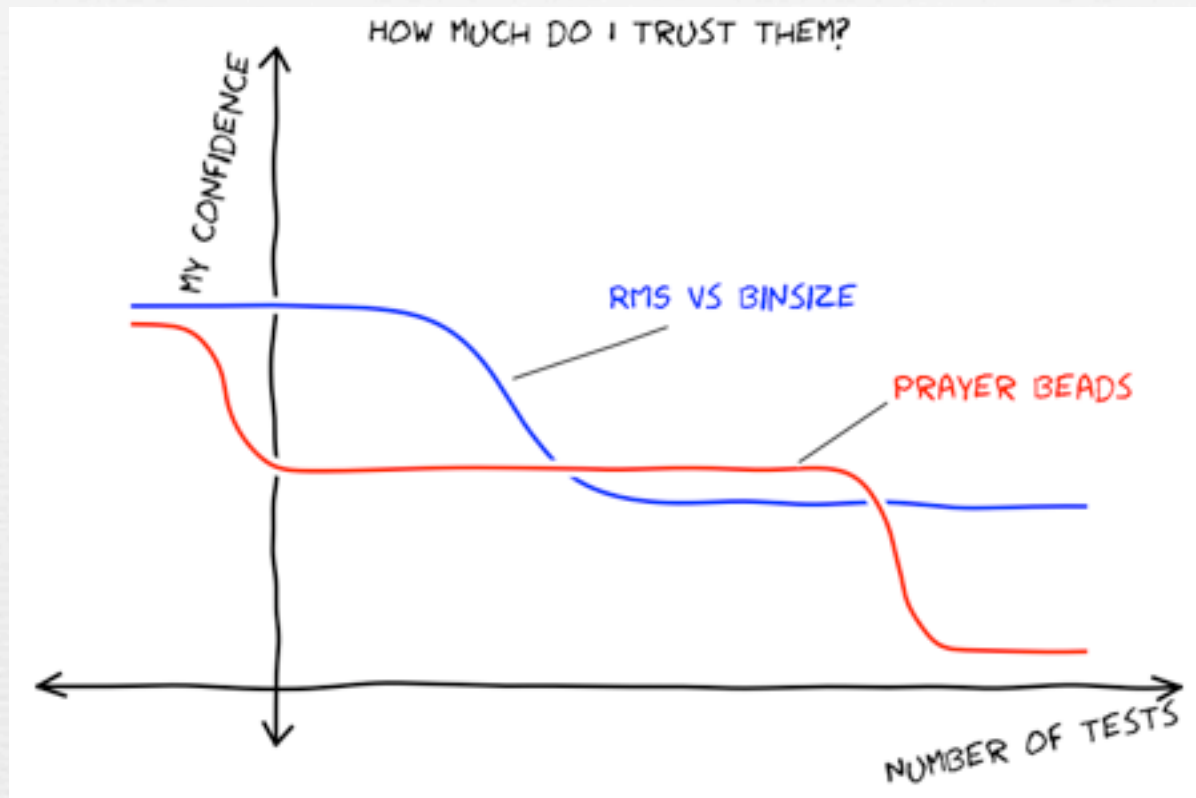


– PB underestimates errors if no correlated noise



– Doesn't correctly account for the lack of accuracy

## Take-home message:



- Assessing correlated noise is important to get appropriate S/N
- Be careful before when using these statistical estimators
- Get to know their limitations

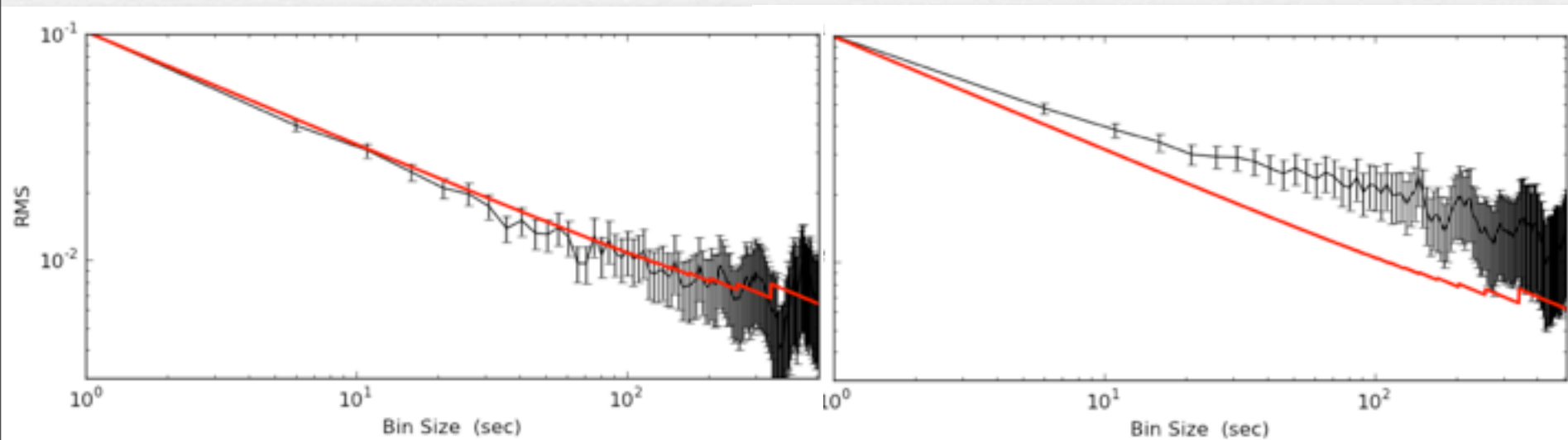
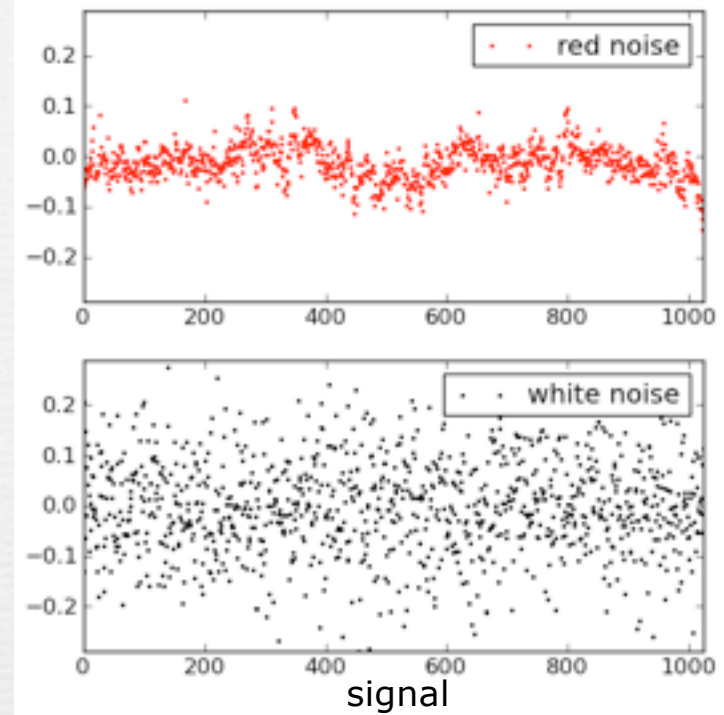
# Wavelet-based modeling: [Carter & Winn \(2009\)](#)

(Work in progress!)

– Using DWT one can create a noise signal with spectral power  $\sim 1/f$

– Wavelet-based likelihood:

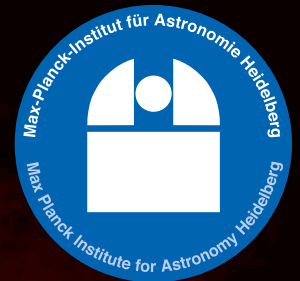
$$\mathcal{L} = \left\{ \prod_{m=2}^M \prod_{n=1}^{n_0 2^{m-1}} \frac{1}{\sqrt{2\pi\sigma_W^2}} \exp \left[ -\frac{(r_n^m)^2}{2\sigma_W^2} \right] \right\} \left\{ \prod_{n=1}^{2n_0} \frac{1}{\sqrt{2\pi\sigma_S^2}} \exp \left[ -\frac{(\bar{r}_n^1)^2}{2\sigma_S^2} \right] \right\}$$



# Extracting Faint Eclipse Signals: Spitzer Observations of TrES-1

**Patricio E. Cubillos**

Looking for post-doc for 2014!

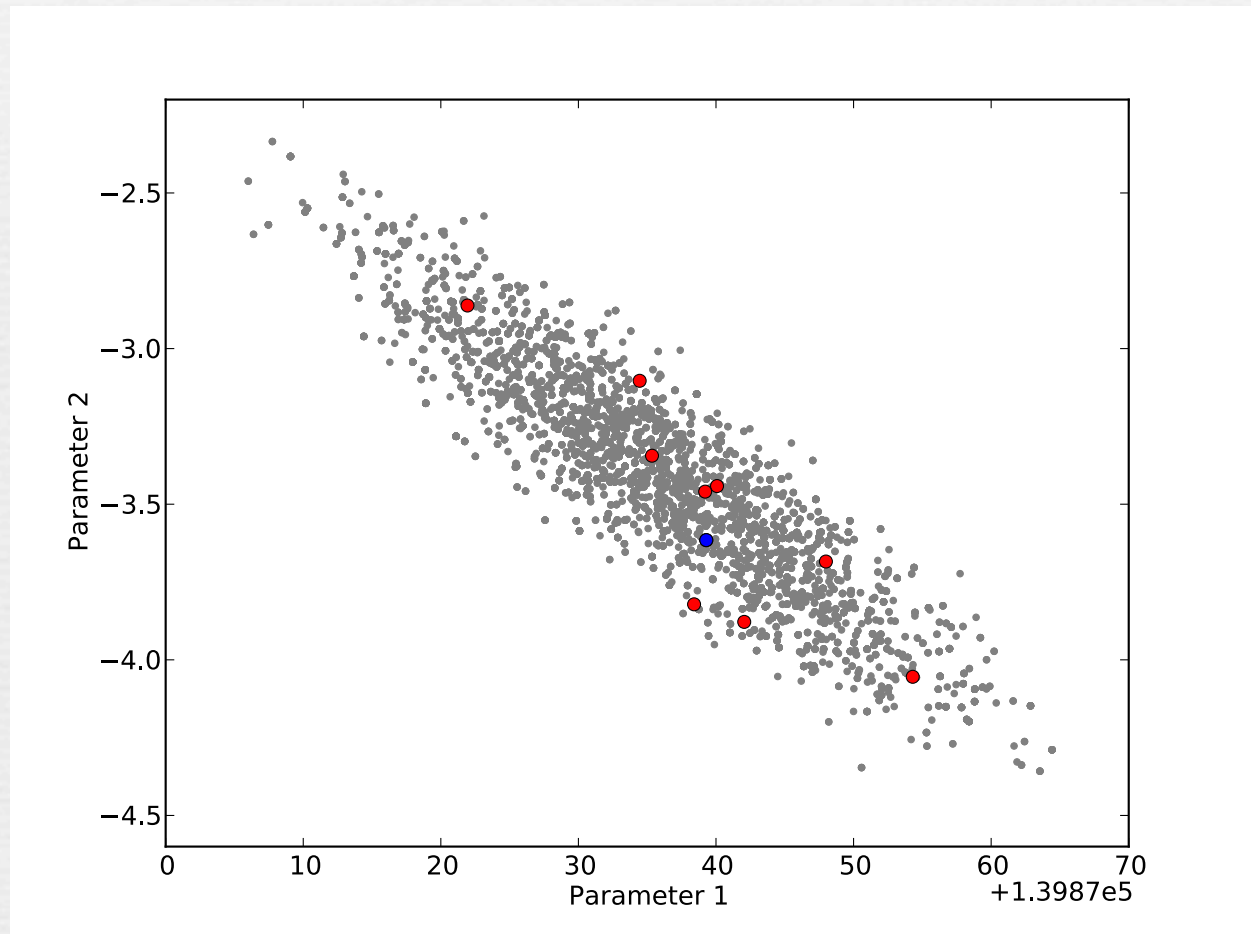


EChO-ESTEC Workshop  
Jul 2<sup>nd</sup>, 2013

Image credit: CfA, TrES-1 press release (2005)

## Differential Evolution Markov Chain: [\(Braak 2006\)](#)

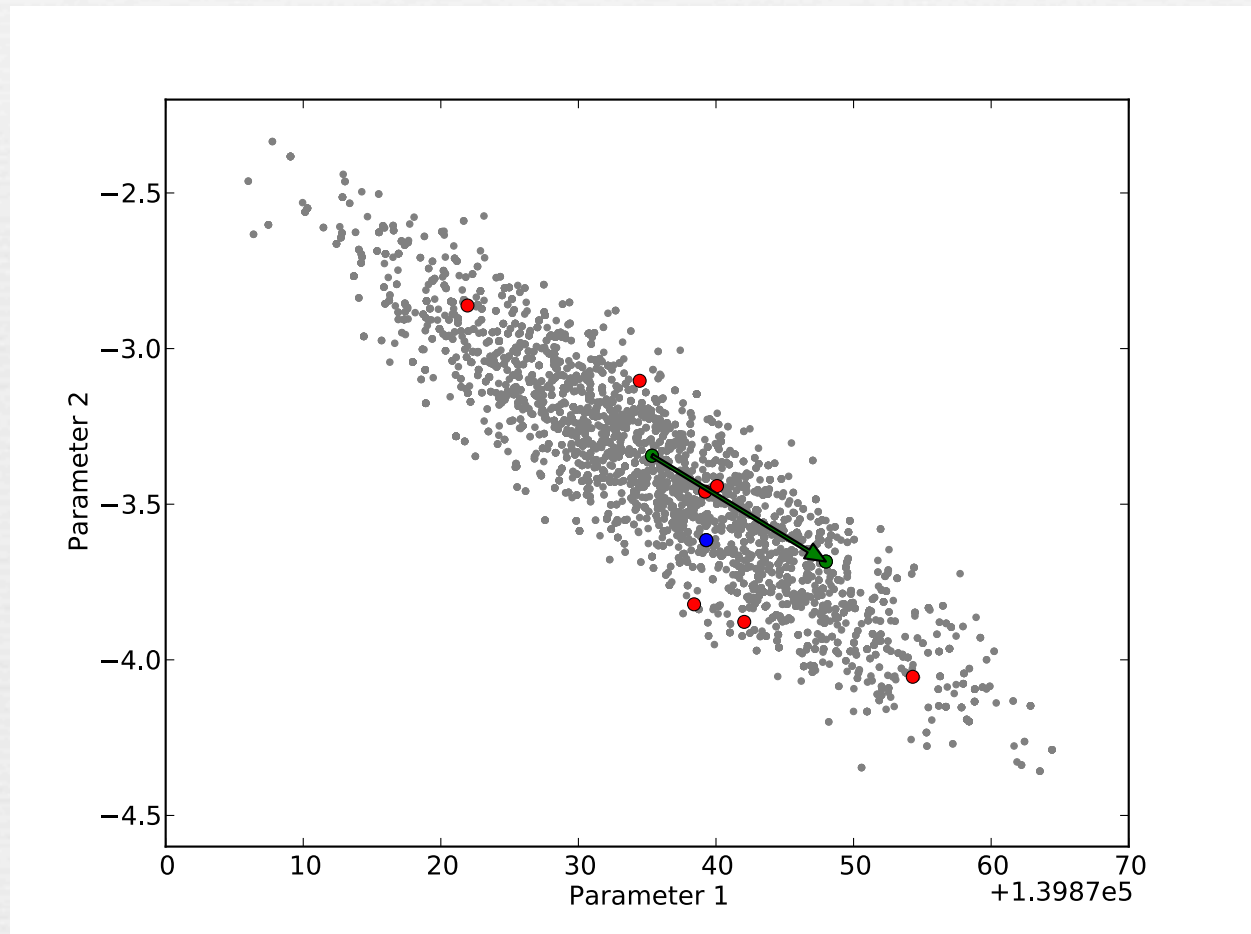
- Usually: Metropolis Random Walk with proposal:  $f \sim N(x, w)$
- DE-MC solves problem of scale and orientation of jumps





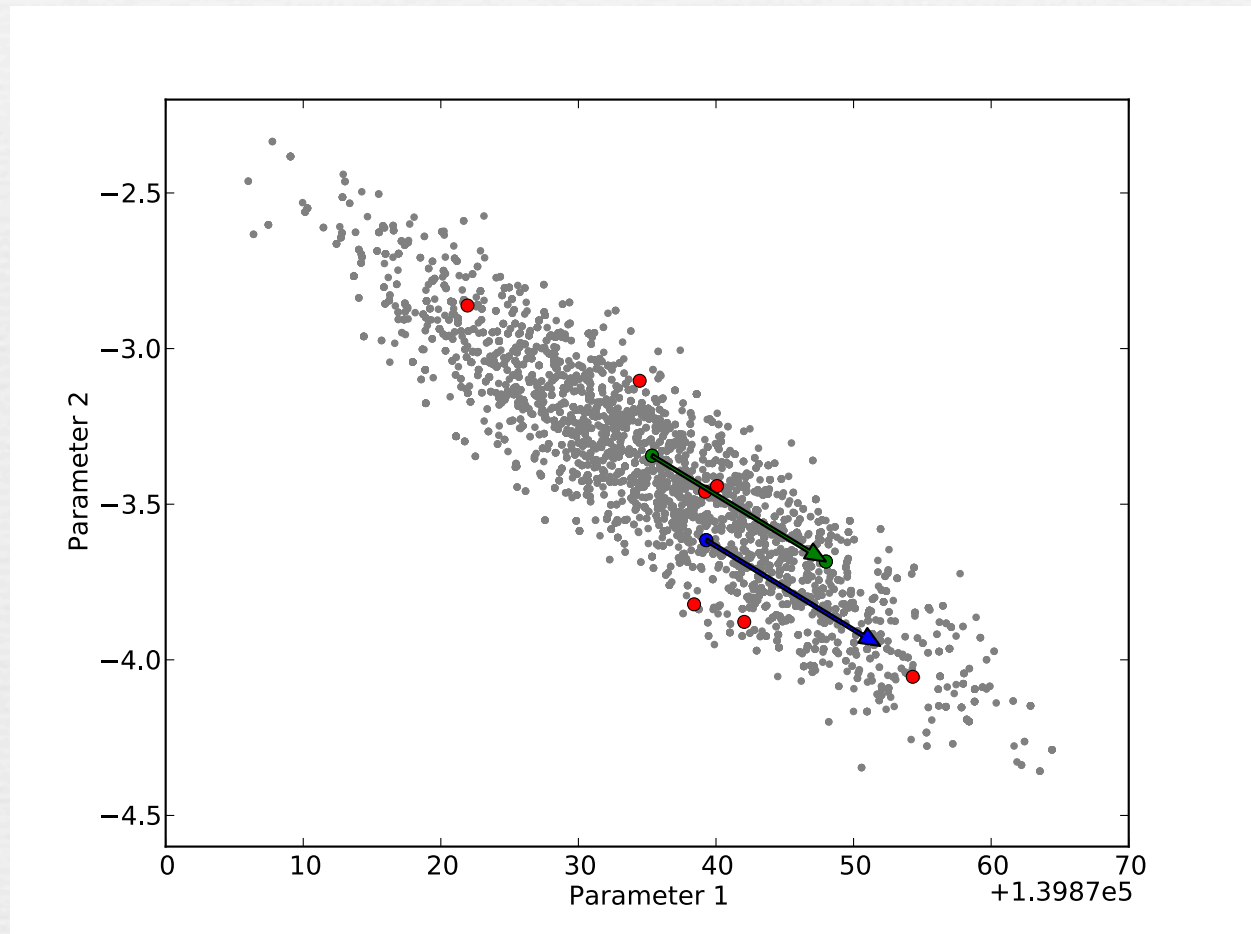
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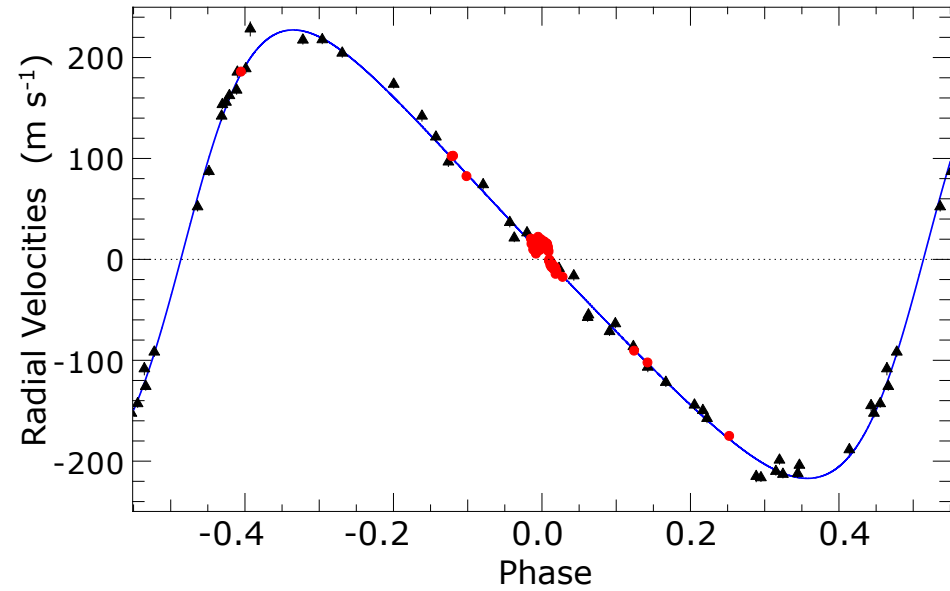
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## The WASP-8 System:

- Stellar-binary system
- Least-irradiated hot Jupiter observed at secondary eclipse
- Eccentric ( $e=0.31$ ), 8-day orbit

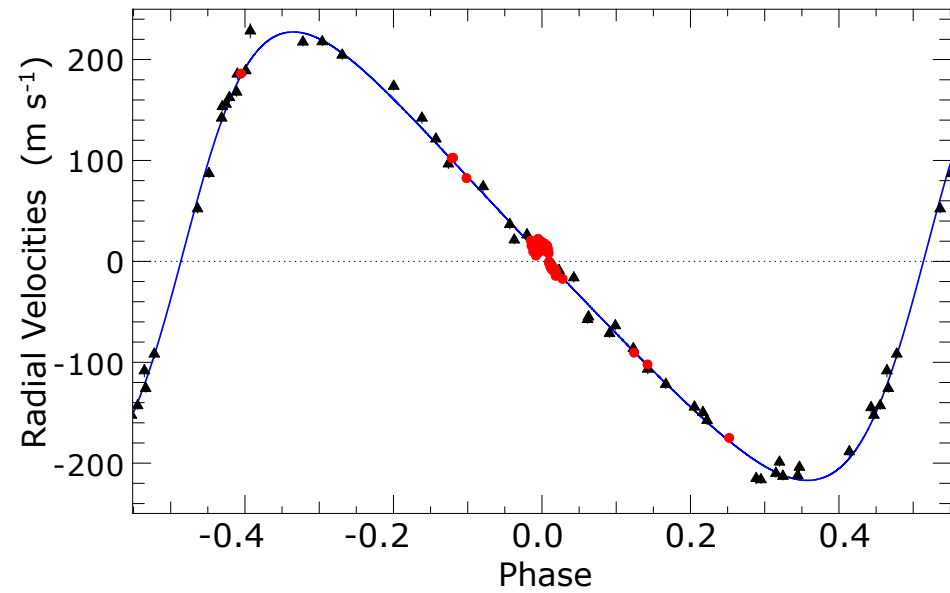
[Queloz et al. \(2010\)](#)



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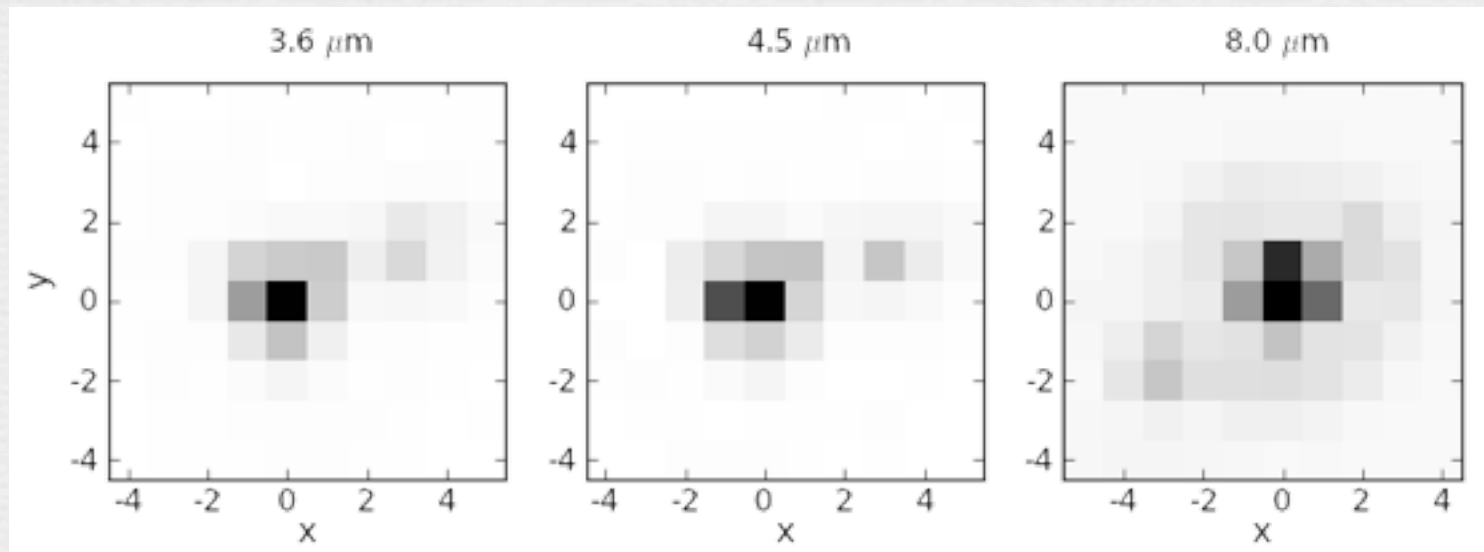
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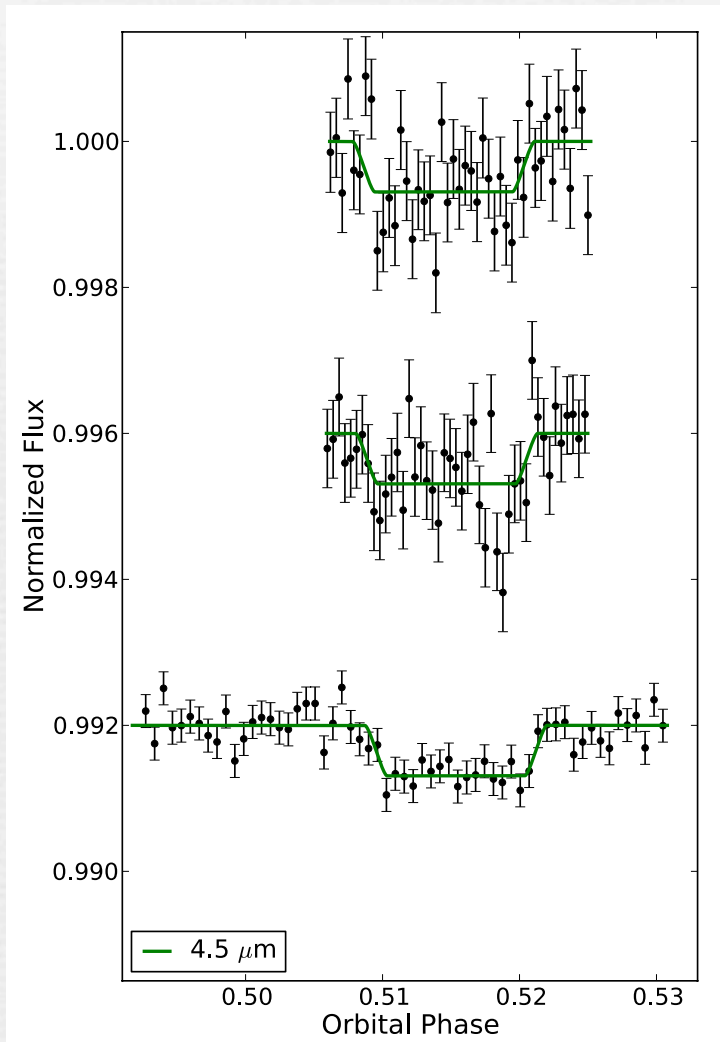
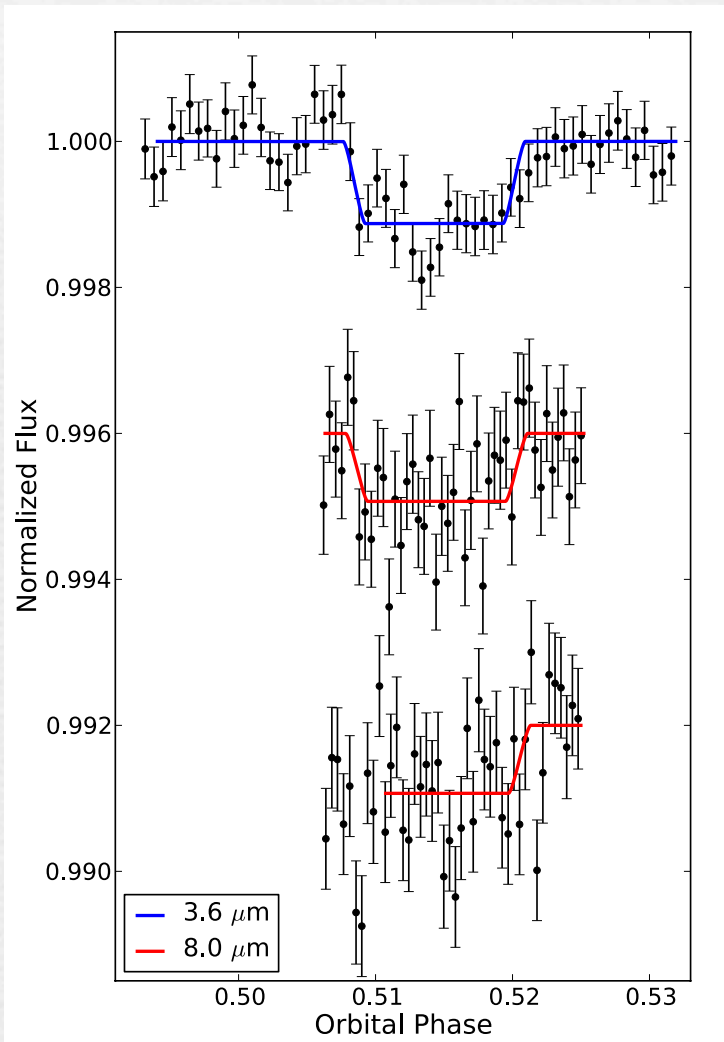


## Observations:

- Cold & Warm Spitzer Space Telescope

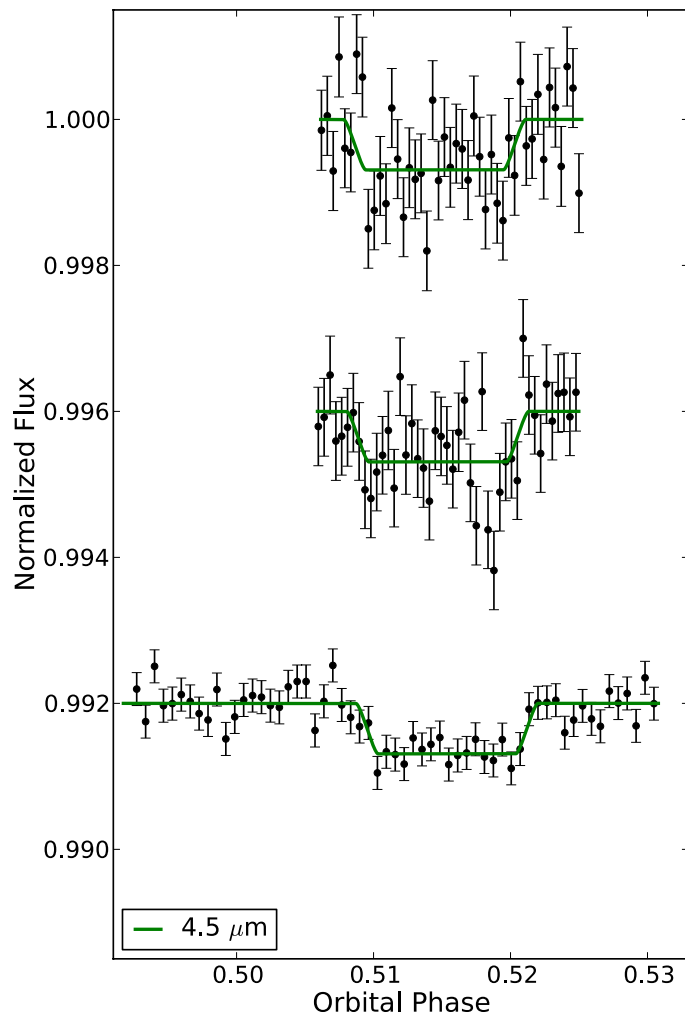
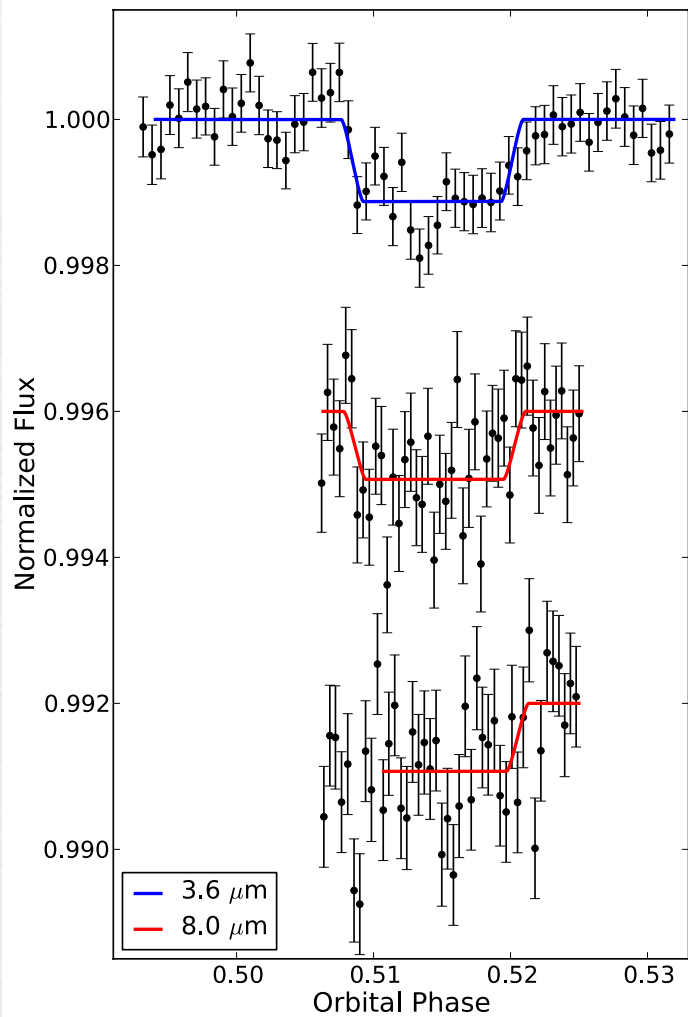


# Light Curve Results



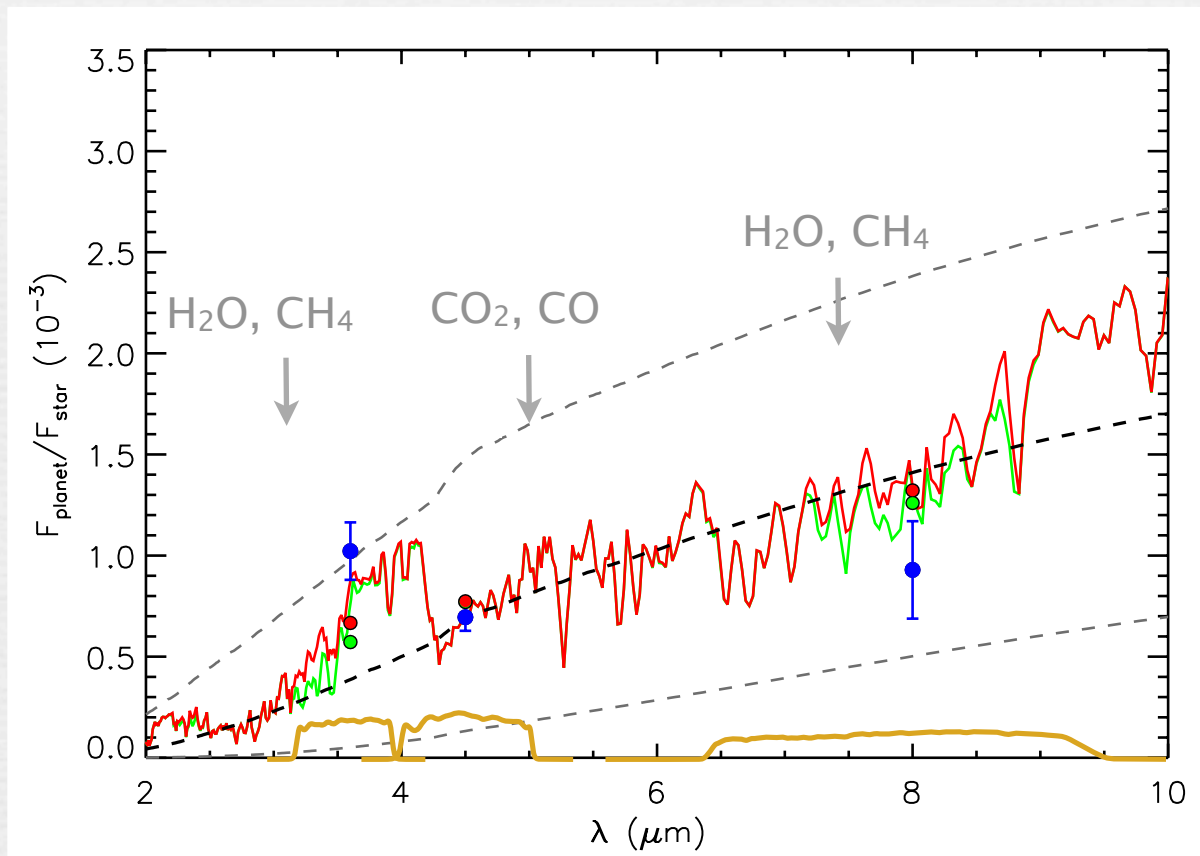
# Light Curve Results

Waveband ( $\mu\text{m}$ )	Depth (%)	Brightness temp. (K)
3.6	0.113 +/- 0.018	1552
4.5	0.069 +/- 0.007	1131
8.0	0.093 +/- 0.023	938



## Atmospheric Modeling: (Madhusudhan & Seager 2009, 2010)

- No thermal inversion
- **But**, no model can fit all data points well.



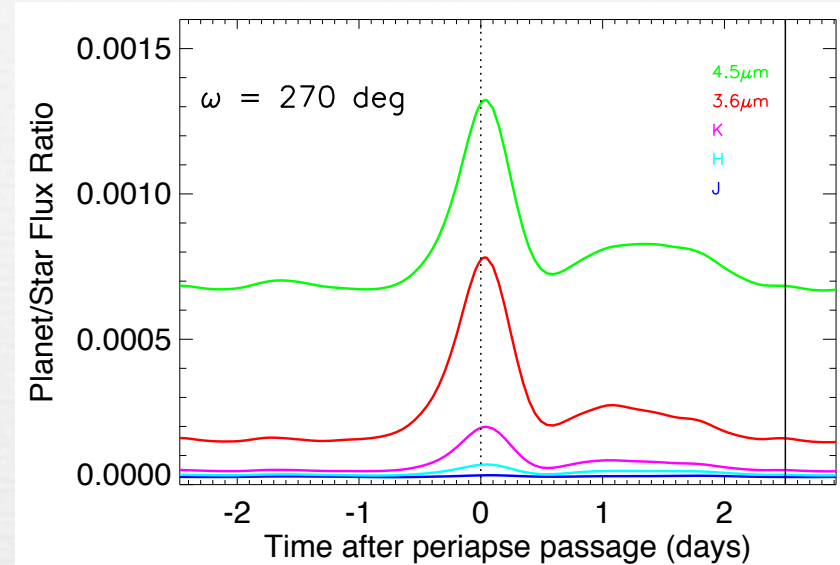
## Conclusions (I):

- The eclipse depths cannot be explained by current models.

### Possible explanations:

- 1.- Eccentricity might give an answer:  
Atmosphere shows differential response in **time** and in **strength**.

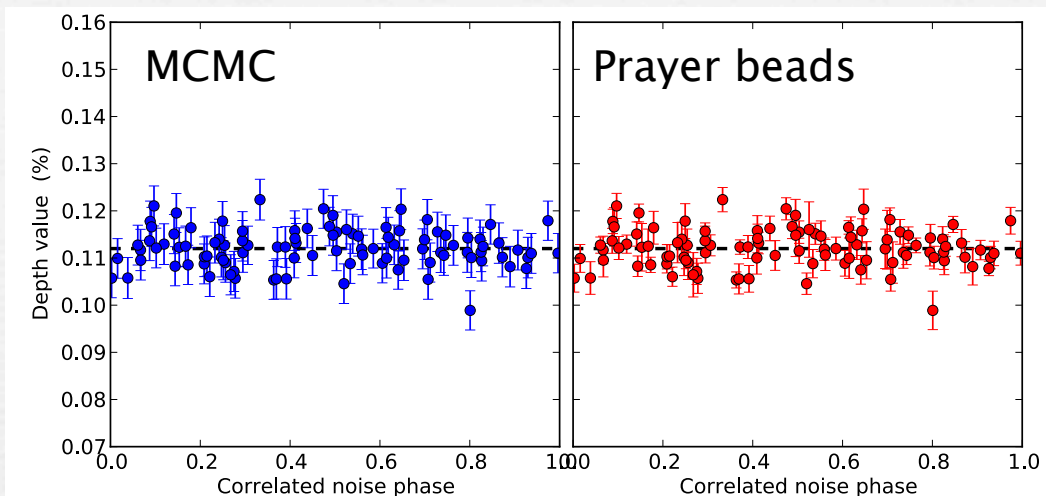
- 2.- Given the equilibrium temperature ( $\sim 930$  K), photochemical processes might alter the planet spectrum.



Kataria et al. (2012)

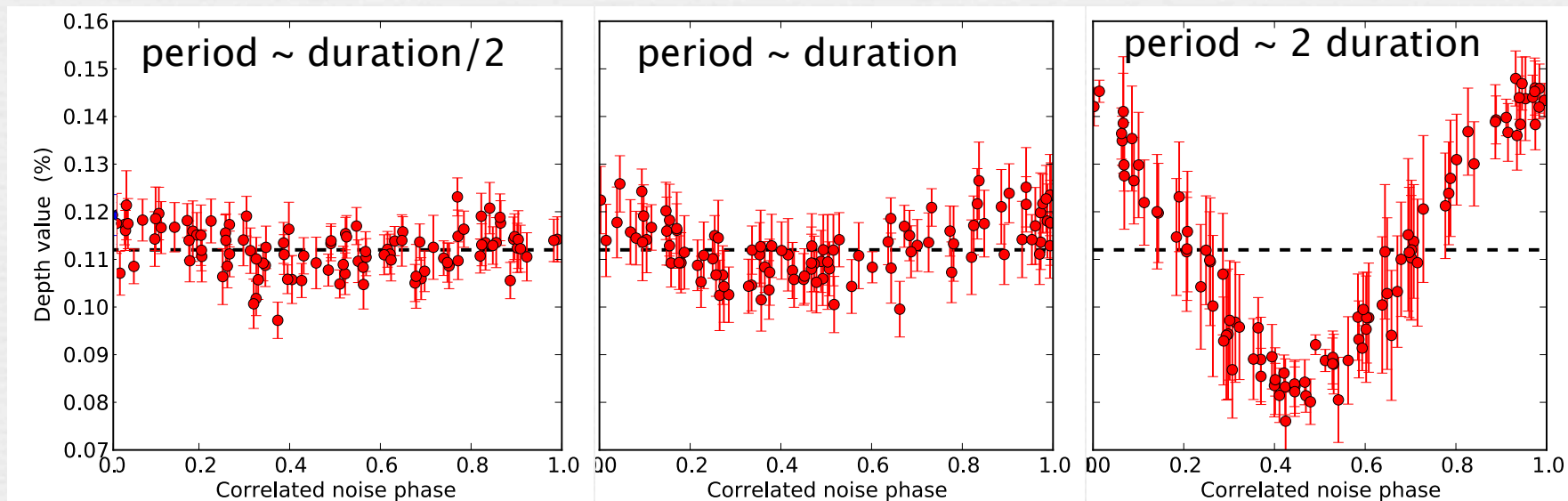


## Prayer beads:



White noise only

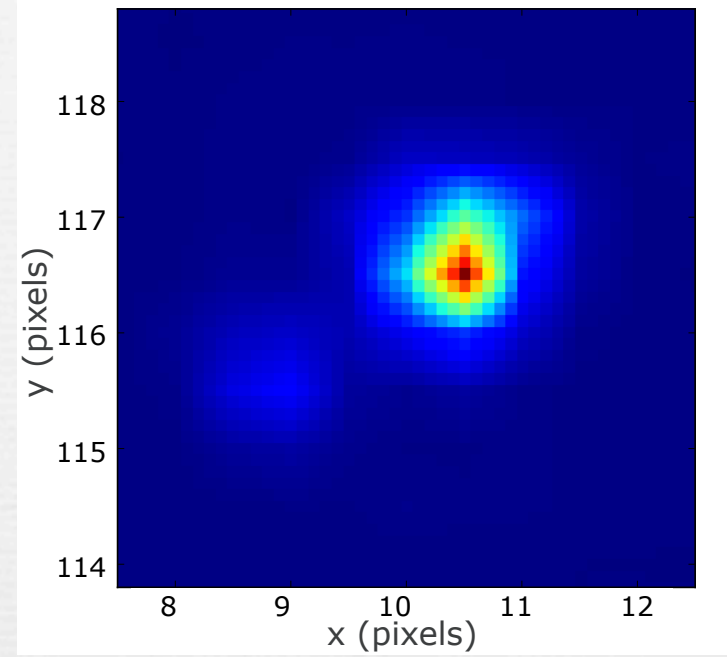
## White + Correlated noise:



## POET: Photometry

We need to remove the contribution from WASP-8B.

Interpolated data:



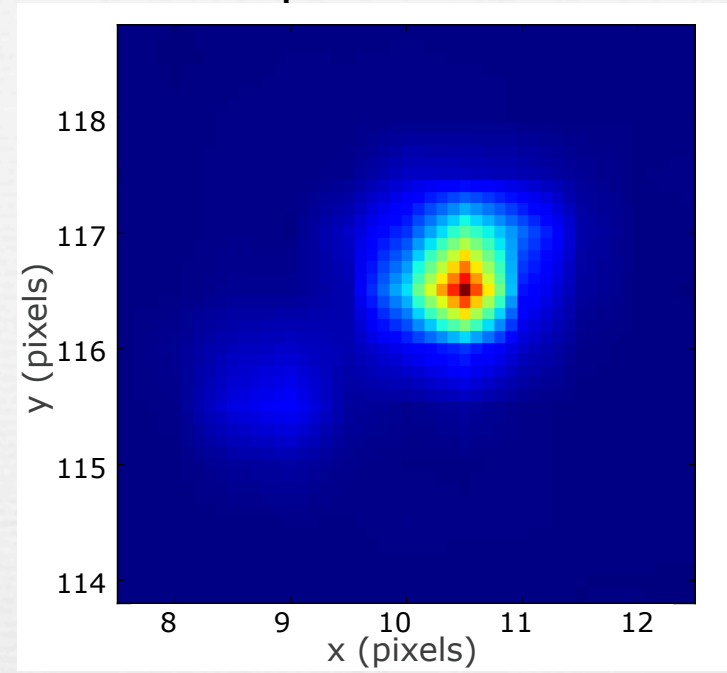
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We need to remove the contribution from WASP-8B.

Implemented two methods:

- 1.- **B-Subtract** photometry:  
Subtract WASP8-B model from data.

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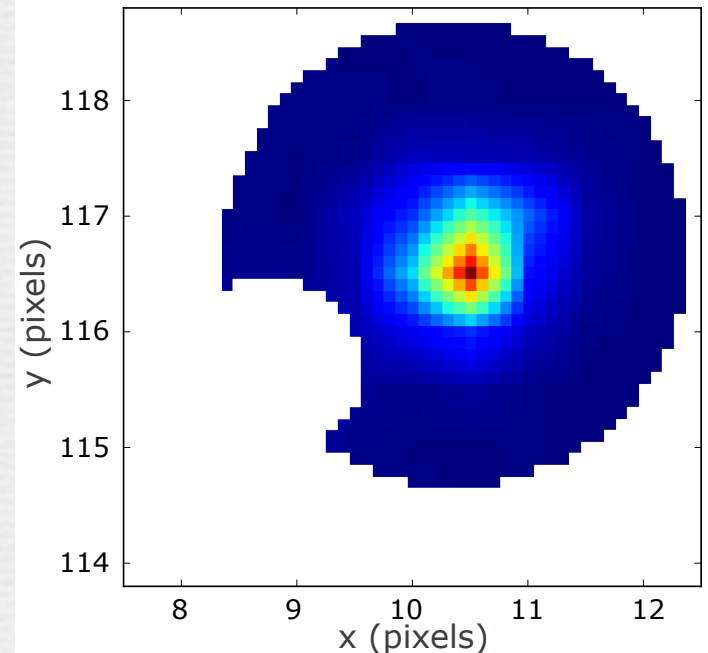
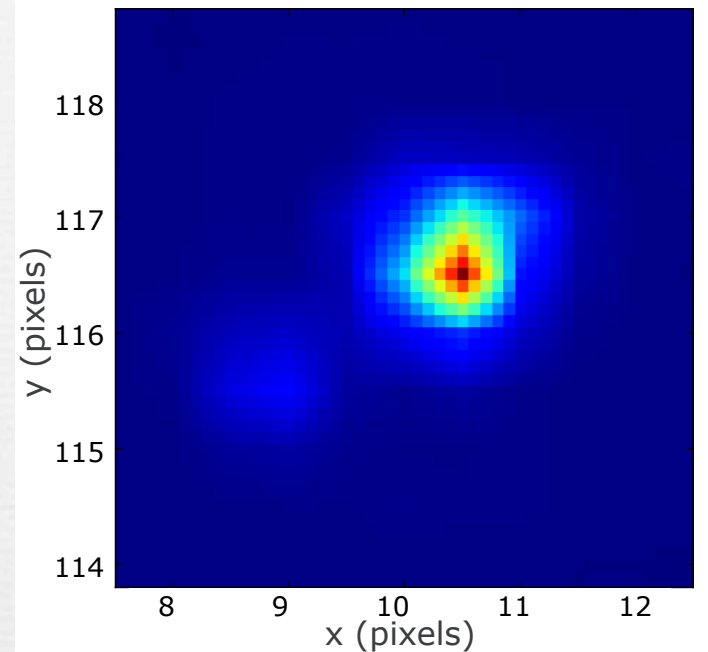
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Discard the pixels within a circular aperture around WASP-8B.  
(masks radii: 1.6, 1.8, 2.0 pix.)

Performed 5X-interpolated aperture photometry ([Harrington et al. 2007](#)).

Interpolated data:



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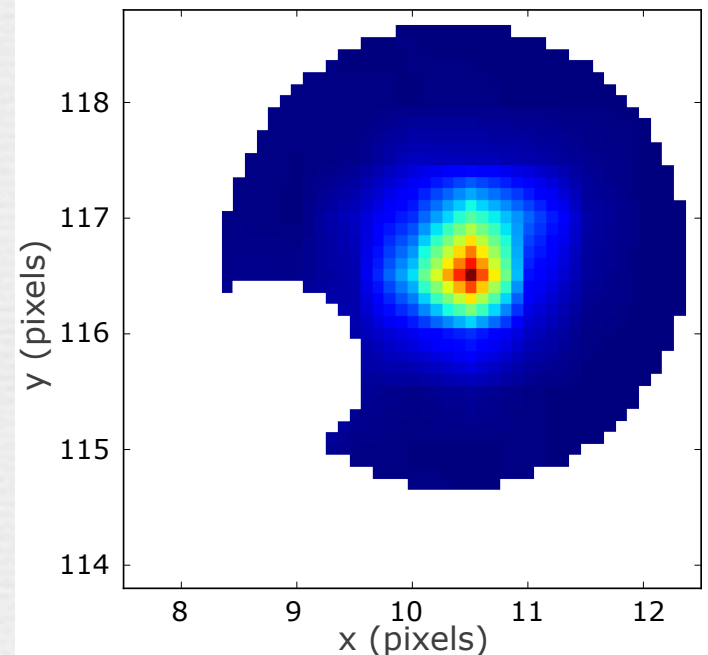
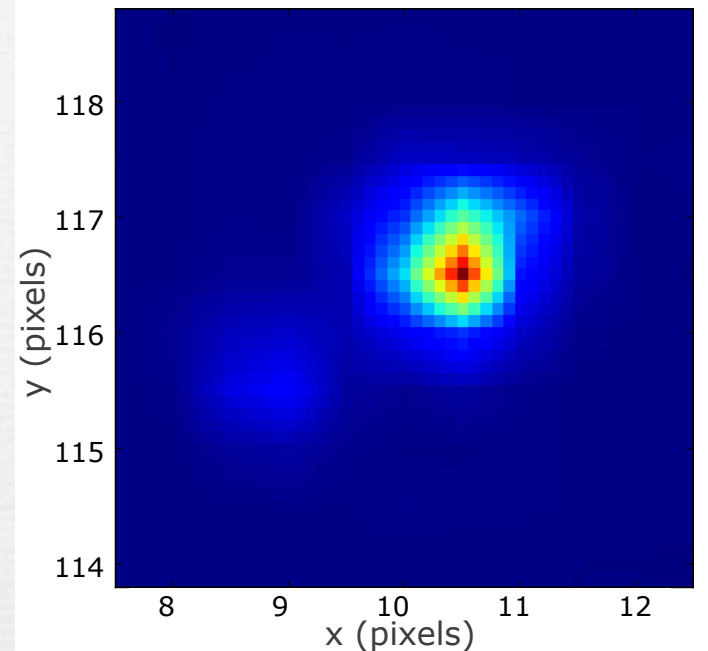
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Methods x Apertures

$$(4) \times (\sim 7) = \sim 30 \text{ light curves.}$$

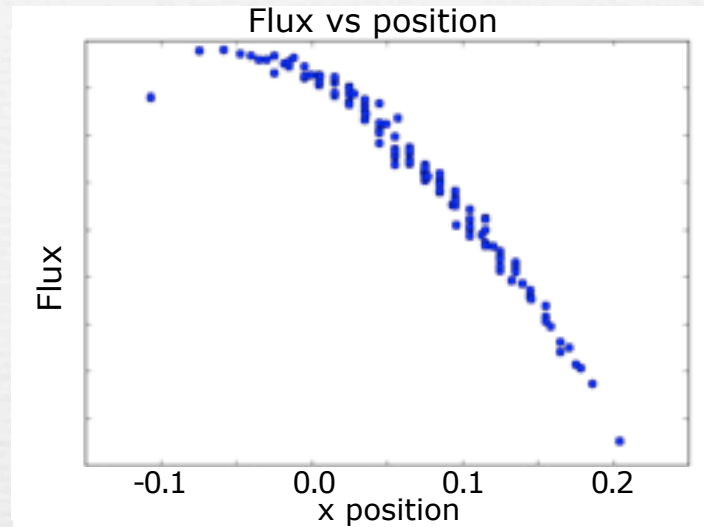
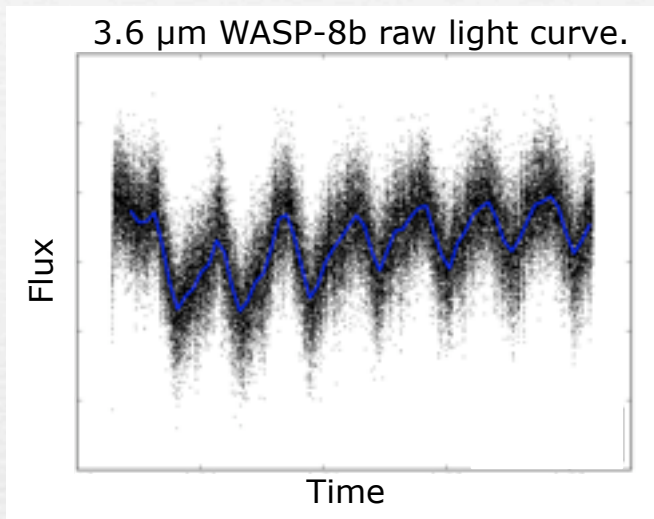
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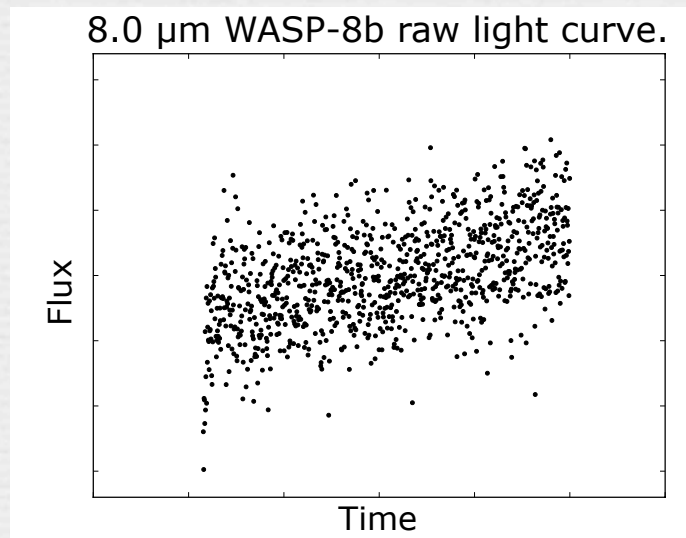
## Spitzer Systematics:

1.- Position dependent flux variations (“Intra-pixel effect”).

Charbonneau  
et al. (2005)



2.- Time-dependent pixel sensitivity (“Ramp”). Agol et al. (2010)



Light-curve model:

$$F(x, y, t) = F_s E(t) M(x, y) R(t)$$

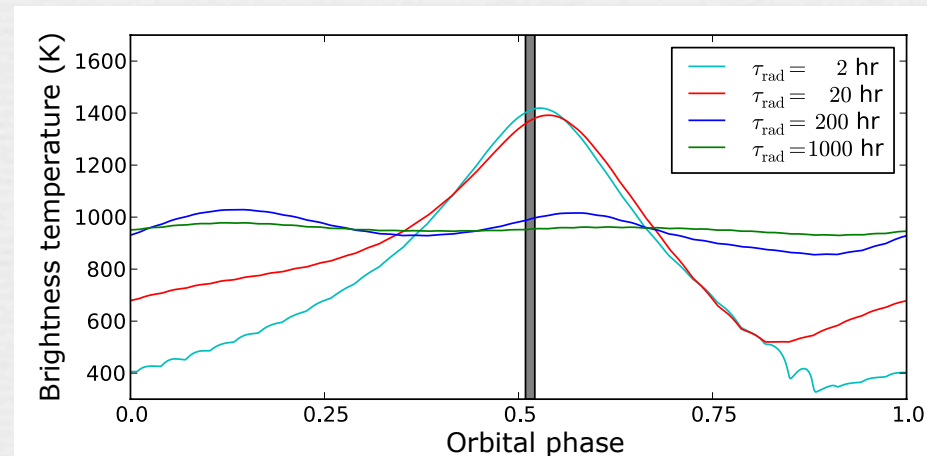
## Brightness Temperature:

- Note the 3.6  $\mu\text{m}$  temperature:  $T_b \sim 1552 \text{ K}$
- Equilibrium temperature:  $T_{\text{eq}} \sim 930 \text{ K}$
- Equilibrium temp. at periapsis:  $T_{\text{eq}} \sim 1130 \text{ K}$

- Modeled the temperature change along the orbit:

$$\frac{dE}{dt} = \left[ (1-A)\sigma T_{\text{eff}}^4 \left( \frac{R_*}{r(t)} \right)^2 \cos \psi(t) - \sigma T^4 \right]$$

Cowan et al. (2011)



- For short radiative times:  
 $\max T_{\text{eq}} \sim 1400 \text{ K.}$

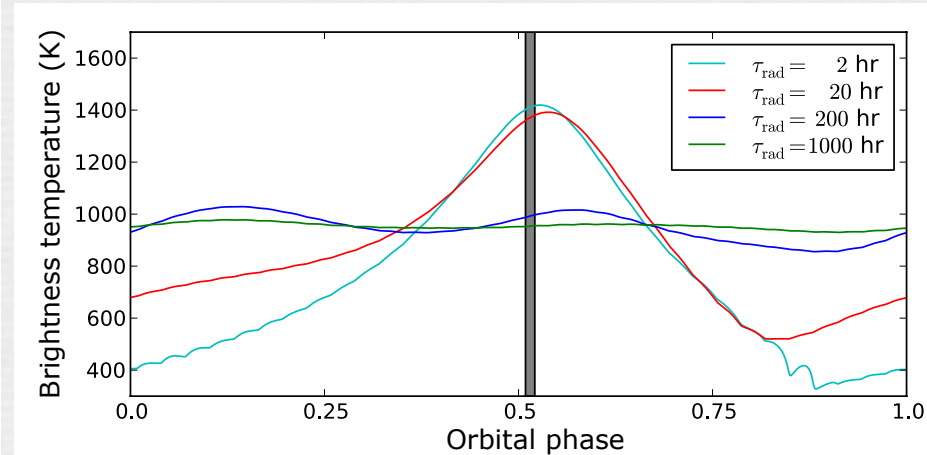
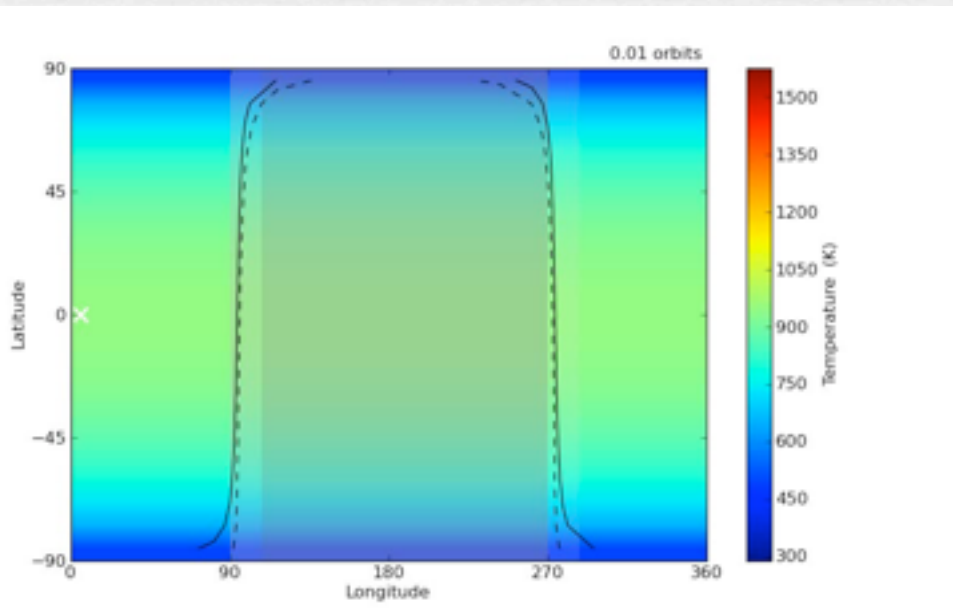
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